

## Review Notes – The Demand for Labor

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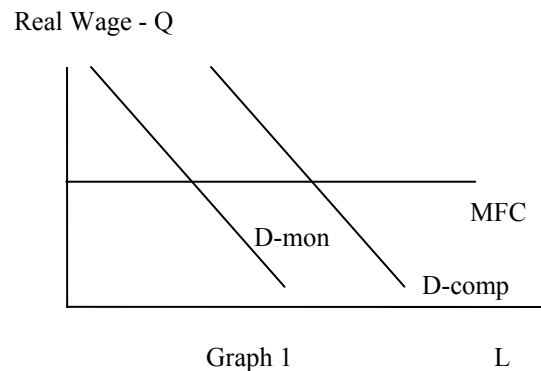
- Why do firms hire labor?
    - Derived demand for labor
      - $Q = f(K, L, N, E)$
      - Therefore use labor to produce output
      - Output produces revenue which makes profit for the firm.
    - When does a profit maximizing firm change its output levels?
      1. If  $MR > MC \Rightarrow Q \uparrow$  (why?)
      2. If  $MR < MC \Rightarrow Q \downarrow$  (why?)
      3. If  $MR = MC \Rightarrow Q \rightarrow$  (why?)
    - What is marginal revenue (MR) and marginal cost (MC)? MR differs dependent upon whether or not the output market is perfectly competitive or not.
    - If a firm  $\uparrow$  or  $\downarrow$   $Q$  then they must also change inputs like  $L \Rightarrow$  1, 2, and 3 become:
      - 1a. If extra revenue gained by hiring  $L >$  extra cost  $\Rightarrow \uparrow L$
      - 2a. If extra revenue gained by hiring  $L <$  extra cost  $\Rightarrow \downarrow L$
      - 3a. If extra revenue gained by hiring  $L =$  extra cost  $\Rightarrow \rightarrow L$
    - Where does a firm get extra revenue from hiring  $L$ ?
      - From the extra output that labor produces.
      - Define marginal products
        - Marginal product of Labor =  $MP_L$ ?
        - Marginal product of Capital =  $MP_K$ ?
        - What is the law of diminishing returns?
        - Marginal revenue product of  $L = MRP_L = MR * MP_L$
    - What is the firm's demand for labor?
      - $MRP_L =$  the firm's nominal demand for labor (why?)
        - Why is this downward sloping? (diminishing returns)
      - $MFC_L =$  marginal factor cost of labor (the book calls this marginal expense of labor).
      - All firms hire labor where  $MRP_L = MFC_L$  (why?)
        - Assume perfectly competitive markets  $\Rightarrow MRP_L = P * MP_L$  and  $MFC_L =$  wage ( $w$ )
        - $\Rightarrow P * MP_L = w$  or
        - $MP_L = w/P$  –  $MP_L$  is the real demand for labor with  $w/P =$  the real wage why?
        - Market demand for labor is equal to...?
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- Demand for labor in the long-run
  - Define the short-run and the long-run (assume initially only labor and capital)
  - Recall that profit max. requires that
    1.  $MP_L * P = w$  but also requires that
    2.  $MP_K * P = C$  ( $C$ = the price of capital)
  - Rewrite (1) and (2) to get:
    - 1a.  $P = w/MP_L$
    - 2a.  $P = C/MP_K$
  - (1) and (2) and (1a) and (2a) simply mean that in the long-run the two inputs, labor and capital are chosen to maximize profits or minimize costs, according to those equations. Since  $P$  is on the left side of both equations then it must be the case that:
    3.  $w/MP_L = C/MP_K$  – make sure that you can clearly understand what this means.
    - 3a.  $MP_L/w = MP_K/C$  – make sure that you also understand it this way.
  - (3) and (3a) relate to profit maximization via cost minimization – how are they related?
  - Suppose that (3) and (3a) are true and then the wage rises. What happens?
    - **The scale effect** (make sure you know what it is)
      - First, (1a) above says that when  $w \uparrow$  then  $P < w/MP_L \Rightarrow \downarrow L$  to  $\uparrow MP_L$  (why?)
      - Second, as  $L \downarrow$  this causes  $MP_K$  to also  $\downarrow$  (why?)  $\Rightarrow P < C/MP_K \Rightarrow \downarrow K$  to  $\uparrow MP_K$  (why?)
      - Essentially the above two things simply say that when the wage rises, this increases costs, which decreases the supply of the good, which decreases output of the good. Lower output means that the firm reduces both labor and capital.
    - **The substitution effect** (make sure you know what it is)
      - In the long-run if labor remains more costly then  $w/MP_L > C/MP_K$  and the firm will reduce its costs by substituting capital for the more costly labor.
  - Now with more inputs – say with multiple types of labor –  $L_1, L_2, L_3, \dots, K$ 
    - Must choose inputs such that: 
$$\frac{W_1}{MP_1} = \frac{W_2}{MP_2} = \frac{W_3}{MP_3} = \dots = \frac{C}{MP_K}$$
    - In other words, the demand for any of the different types of labor are a function of all of the wages ( $w_1, w_2, w_3, \dots$ ) and the price of capital ( $C$ ).
    - Suppose that  $w_1$  increases  $\Rightarrow$  what happens to Demand for the second type of labor –  $D_L^2$ 
      - Assume that the two inputs ( $L_1$  and  $L_2$ ) are actual substitutes. Then, we still have both a substitution and a scale effect has discussed above only now between two different types of labor
        - Scale effect: if  $w_1 \uparrow \Rightarrow D_L^2 \downarrow$
        - Substitution effect: if  $w_1 \uparrow \Rightarrow D_L^2 \uparrow$

- Therefore, the overall impact depends upon which is larger
  - If the scale effect is larger  $\Rightarrow$  when  $w_1 \uparrow \Rightarrow D_L^2 \downarrow$  and the two inputs are gross complements.
  - If the substitution effect is larger  $\Rightarrow$  when  $w_1 \uparrow \Rightarrow D_L^2 \uparrow$  and the two inputs are gross substitutes.
- Assume that the two inputs ( $L_1$  and  $L_2$ ) are actual complements.
  - In this case no substitution effect because they are actual complements.
  - Thus, we know that when  $w_1 \uparrow \Rightarrow D_L^2 \downarrow$  and the two inputs are gross complements.
- Under what conditions can the two inputs ( $L_1$  and  $L_2$ ) be identified as actual substitutes or actual complements?

- Demand for Labor when the output market is not competitive

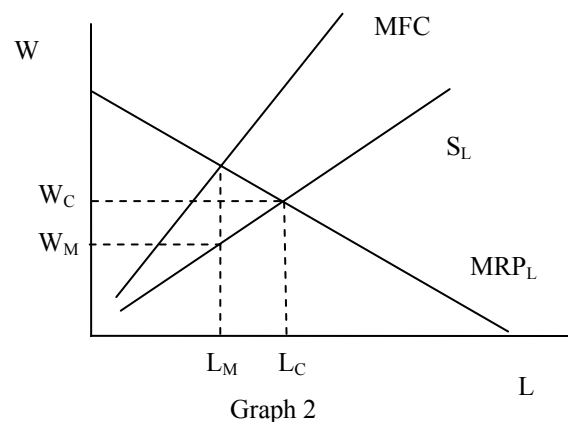
- Before  $P=MR$  and now  $P>MR$ 
  - so for profit maximization  $MRP (= MR \cdot MP_L) = w$  or the real wage  $W/P = (MR/P) \cdot MP_L$
  - Because  $P>MR \Rightarrow MR/P < 1 \Rightarrow D_L$  for a monopolist is smaller than for a competitive firm. That is, as graph 1 shows, with a smaller  $D$  for labor, monopolists will end up hiring less labor for a given  $MFC_L$ . Notice that this finding is consistent with the micro principles finding that monopolists produce less than competitive industry  $\Rightarrow$  use less labor and other inputs as well.



- Does monopoly power affect wages? Know the argument for and against.

- Monopsony in the labor market

- Define monopsony (single buyer in the market)
- Why is  $S_L$  upward sloping?
- Why is  $MFC_L > \text{wage } (S_L)$  in monopsony?
- Where do profit maximizing firms hire labor?
  - Where  $MRP_L = MFC_L$ .



- In Graph 2, the monopsonist hires labor where  $L = L_M$  and set the wage at that level of labor at  $W_M$ .  $W_C, L_C$  is the wage and employment in a competitive labor market. (How do we know this?) Therefore, a monopsonist hires less labor and pays a lower wage than does a competitive market.
  - How do monopsonists respond (differently than competitive firms?) to  $S_L$  and wage changes?
    - If the labor market is competitive  $\Rightarrow D_L = MRP_L$ , which is downward sloping  $\Rightarrow$  a decrease in  $S_L$  (shift left) will increase wages and decrease employment.
      - Does the same impact happen with monopsony? How does the graph look different? Are the results the same?
    - Suppose that there is a mandated wage increase (*i.e.* a minimum wage)
      - What is the impact if the market is competitive?
        - Wage increases, employment falls, and unemployment is created – why? Make sure you know the graph that shows this.
      - What is the impact if the market is monopsonistic?
        - The wage always increases (what must we assume for this to be true?)
        - Under what conditions will employment rise? Show on a graph.
        - Under what conditions will employment fall? Again, graphically.
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- Who pays for payroll taxes?
    - What is a payroll tax?
    - Doesn't the party who pays for the tax directly simply pay for the tax?
      - Suppose the worker pays the tax directly  $\Rightarrow$  the firm would pay the tax in that case if the market equilibrium after the tax caused workers' wages to rise.
      - Suppose the firm pays the tax directly  $\Rightarrow$  workers would pay the tax in that case if the market equilibrium after the tax caused workers' wages to fall.
    - Know how to do the standard tax analysis with  $D/S$  curves in a labor market that shows the following:
      - Both parties will share tax with lower levels of employment.
      - How much each party pays depends upon the relative wage elasticities of demand and supply of labor.
        - As  $D_L$  becomes more inelastic  $\Rightarrow$  firms pay more of the tax and workers less (and the reverse.)
        - As  $S_L$  becomes more inelastic  $\Rightarrow$  workers pay more of the tax and firms less (and the reverse.)
      - What is the empirical evidence on who pays?
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